# TOUCHING CONICS GENERATED BY FEUERBACH CONFIGURATIONS AND HOMOTHETY

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**Abstract.** *The following assertion gives an interesting relation between the circumcircle of a triangle and the circle which is inscribed in one of its angles: A circle $\omega$ with centre $I$ touches the sides $AB$ and $AC$ of $\triangle ABC$ intersecting the side $BC$ in points $X$ and $Y$. If $Z$ is the common point of the line through $A$ parallel to $BC$ and the line through $I$ perpendicular to $BC$, then the circumcircles of $\triangle ABC$ and $\triangle XYZ$ are tangent. The present paper is dedicated to a generalization of that assertion concerning suitably constructed inscribed conics in an angle of a given triangle and a kind of its circumscribed curves.*

**Key words:** Triangle, conic, common points.

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